

The final stages of stellar evolution

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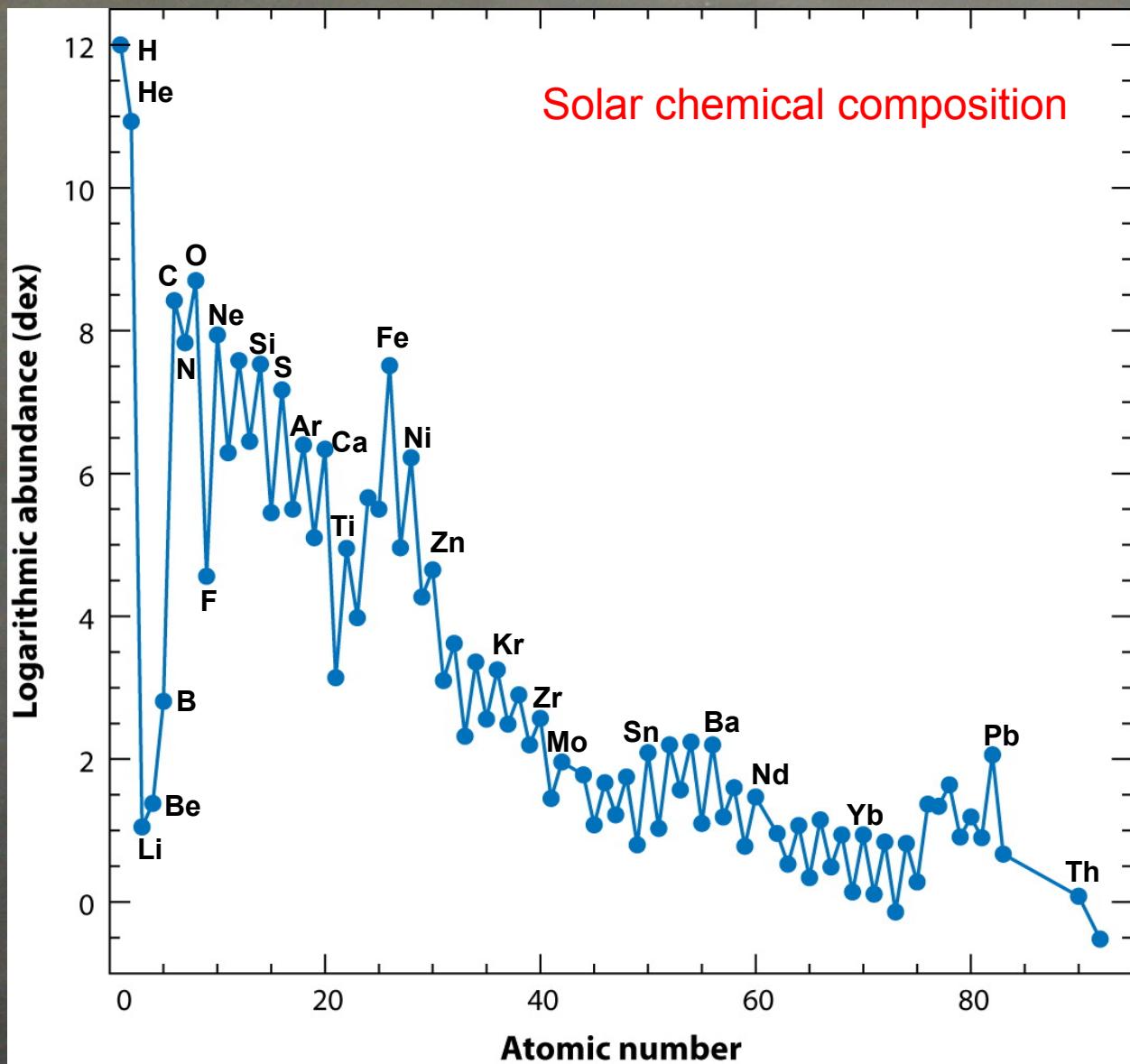
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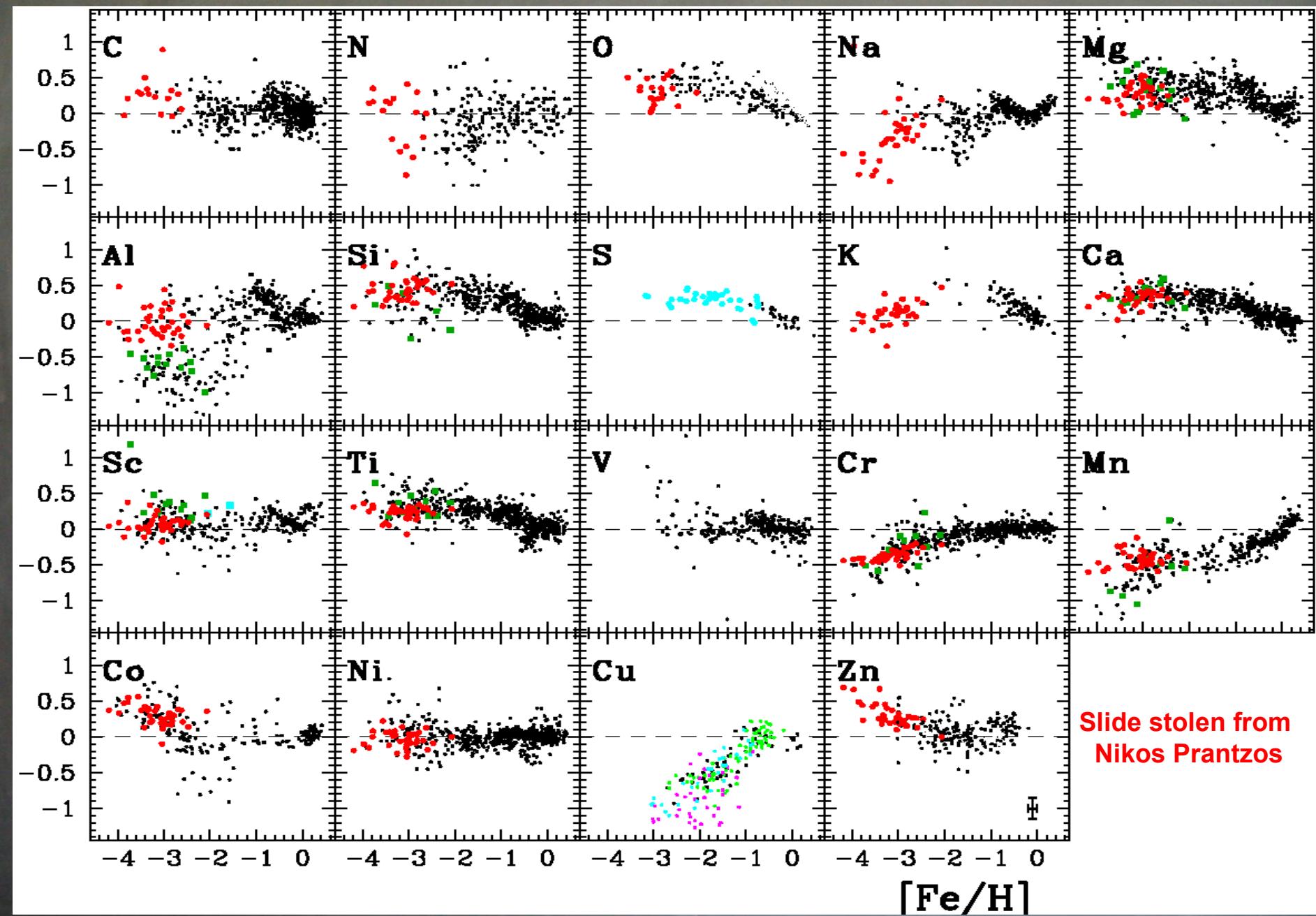
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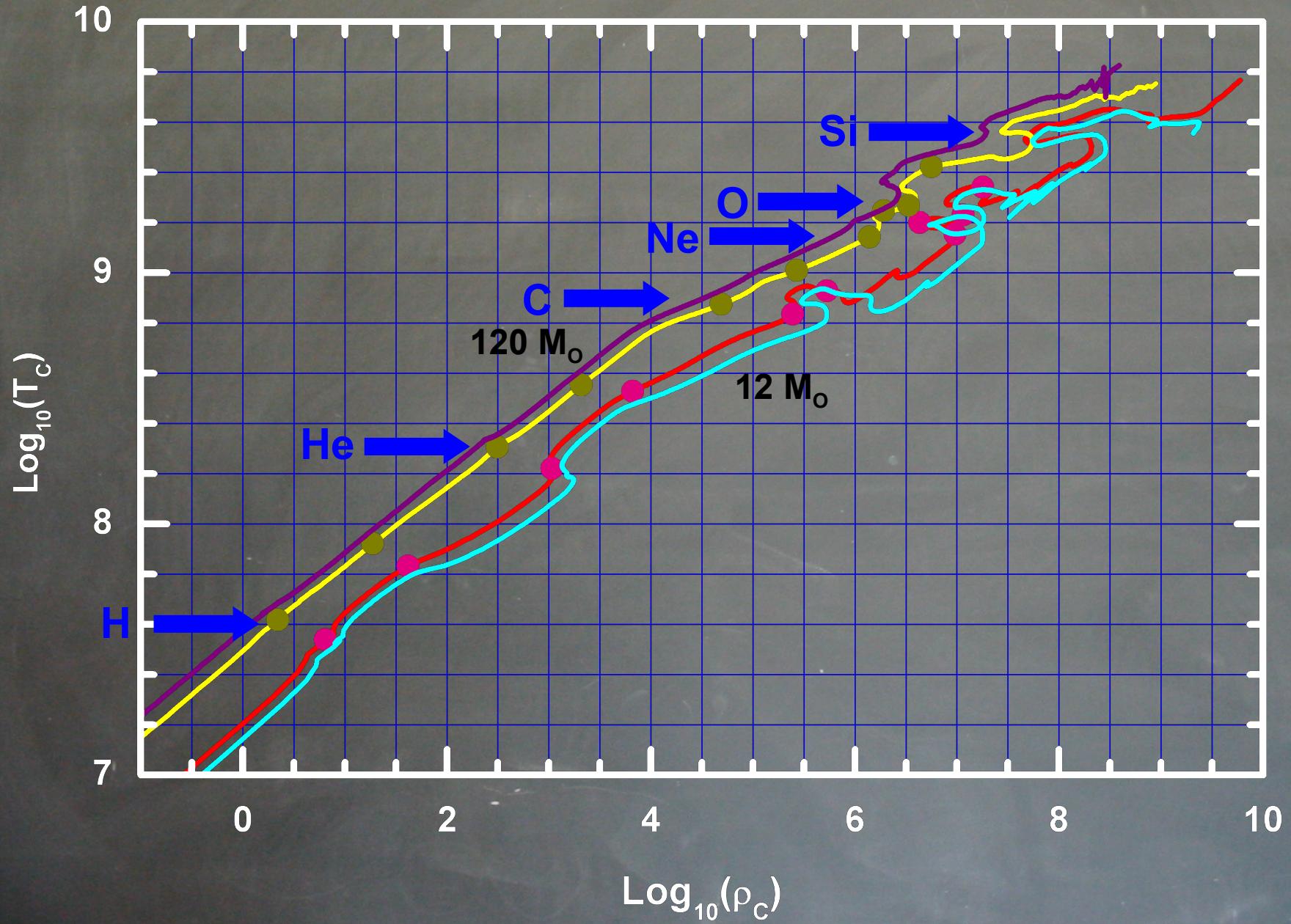
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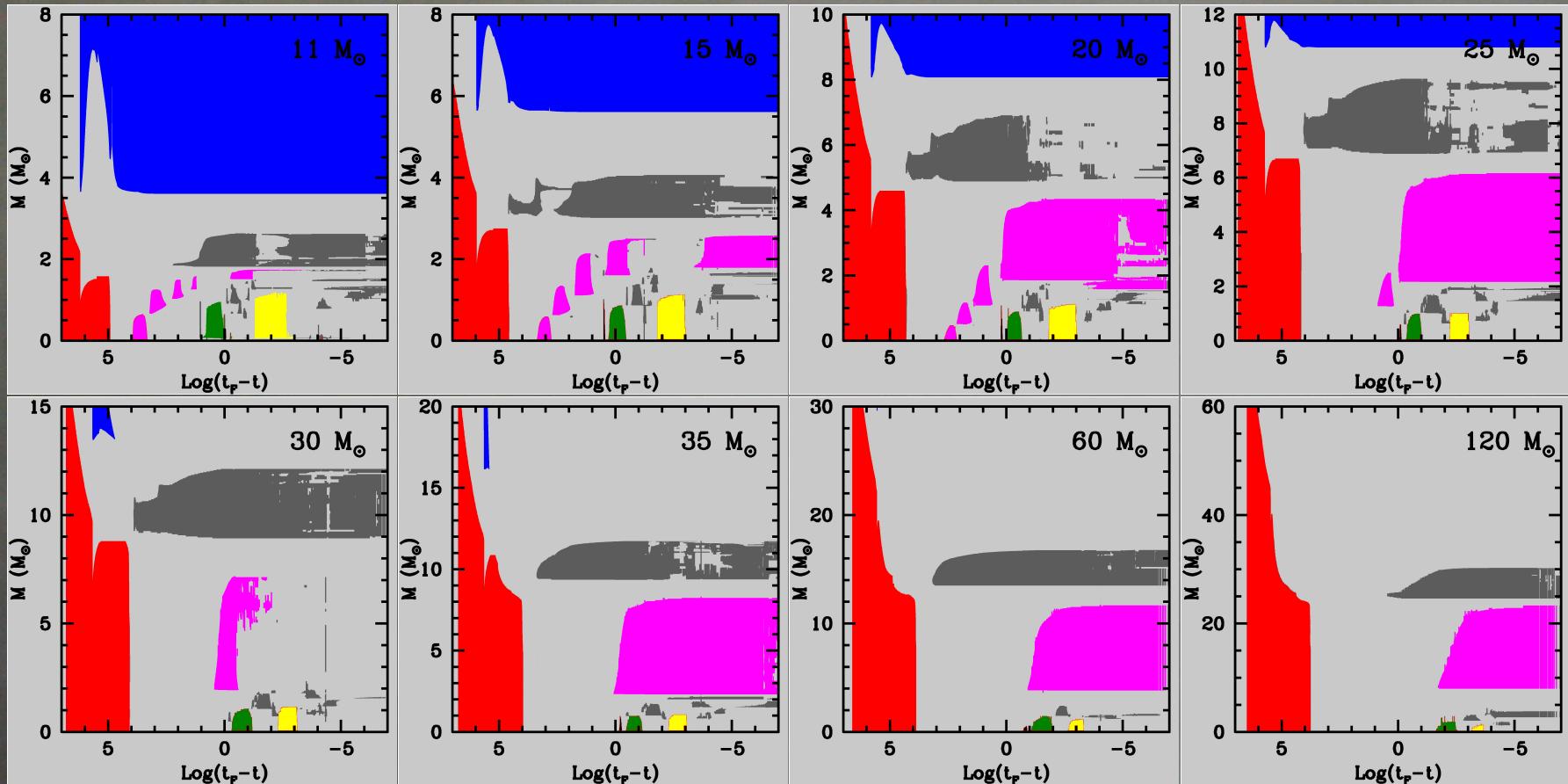
Asplund M, et al. 2009.

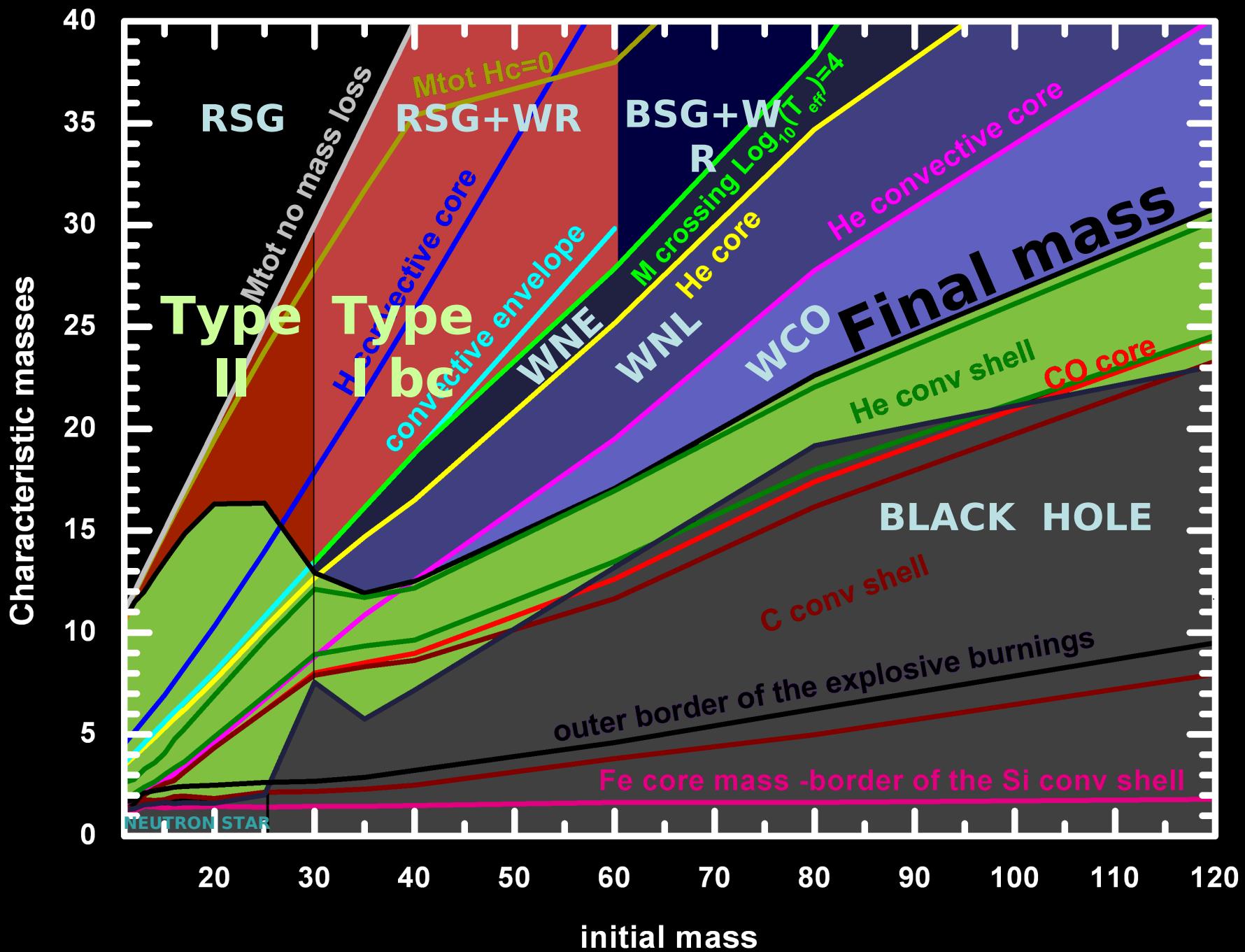
Annu. Rev. Astron. Astrophys. 47:481–522

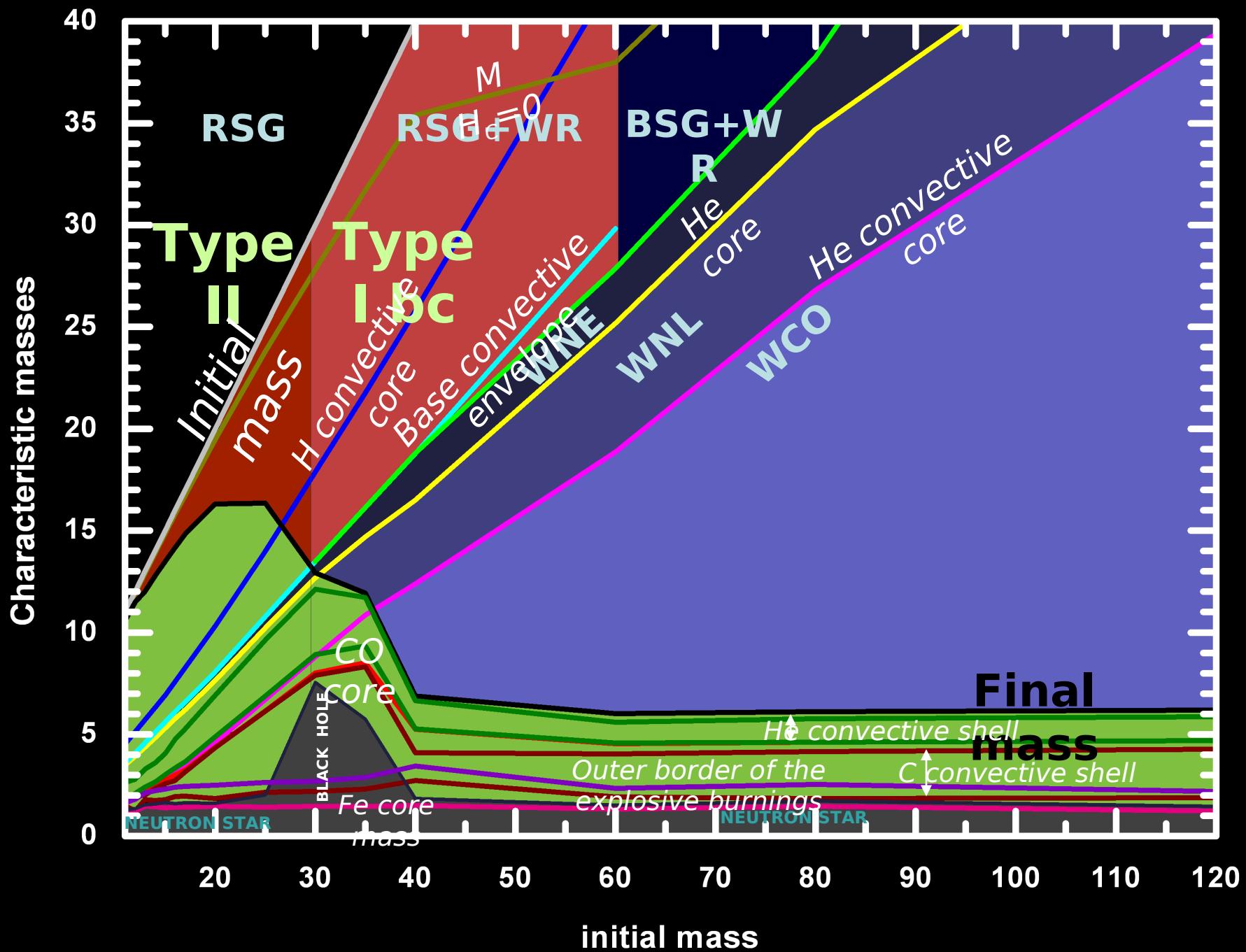




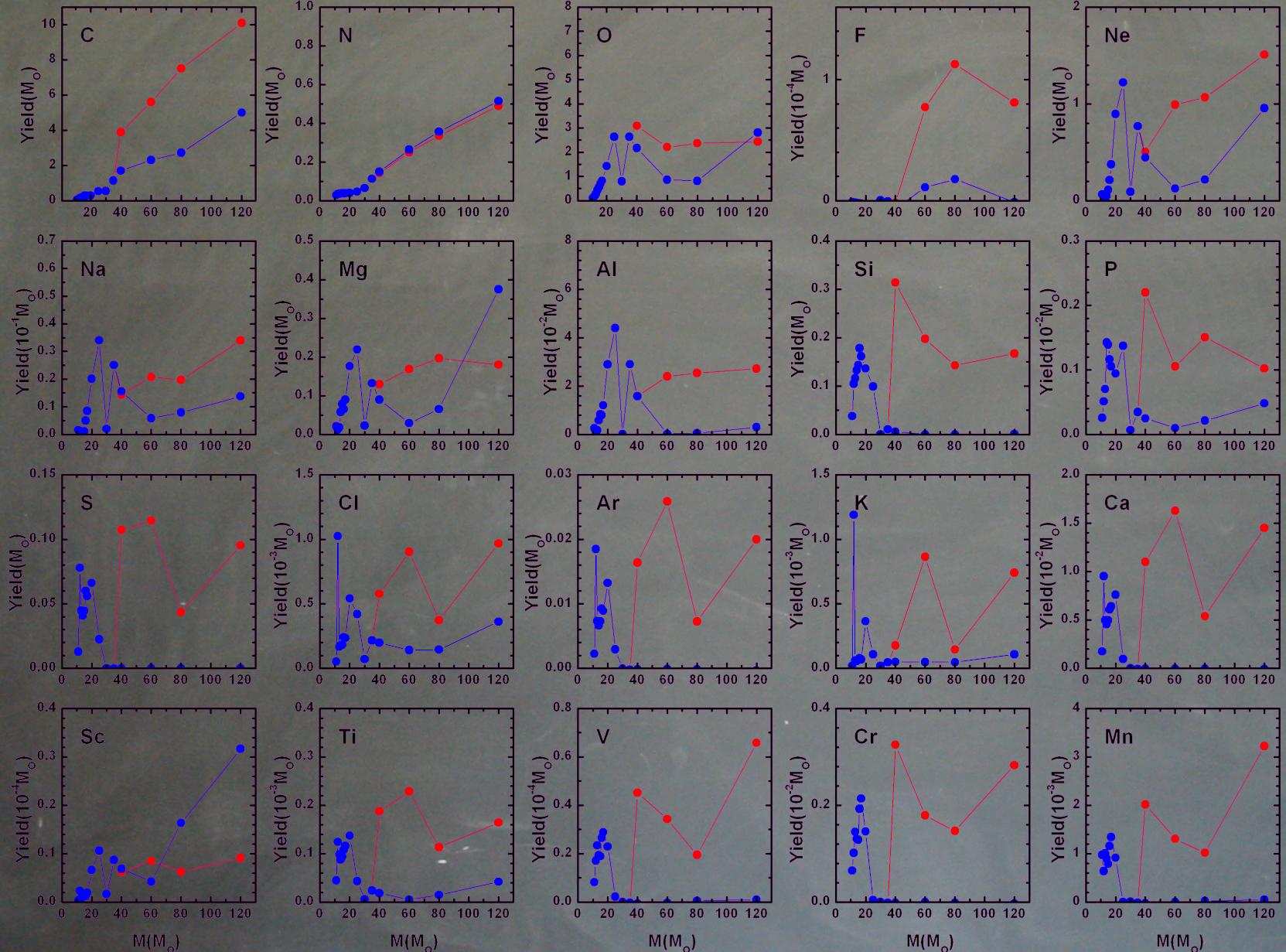
Convective zones



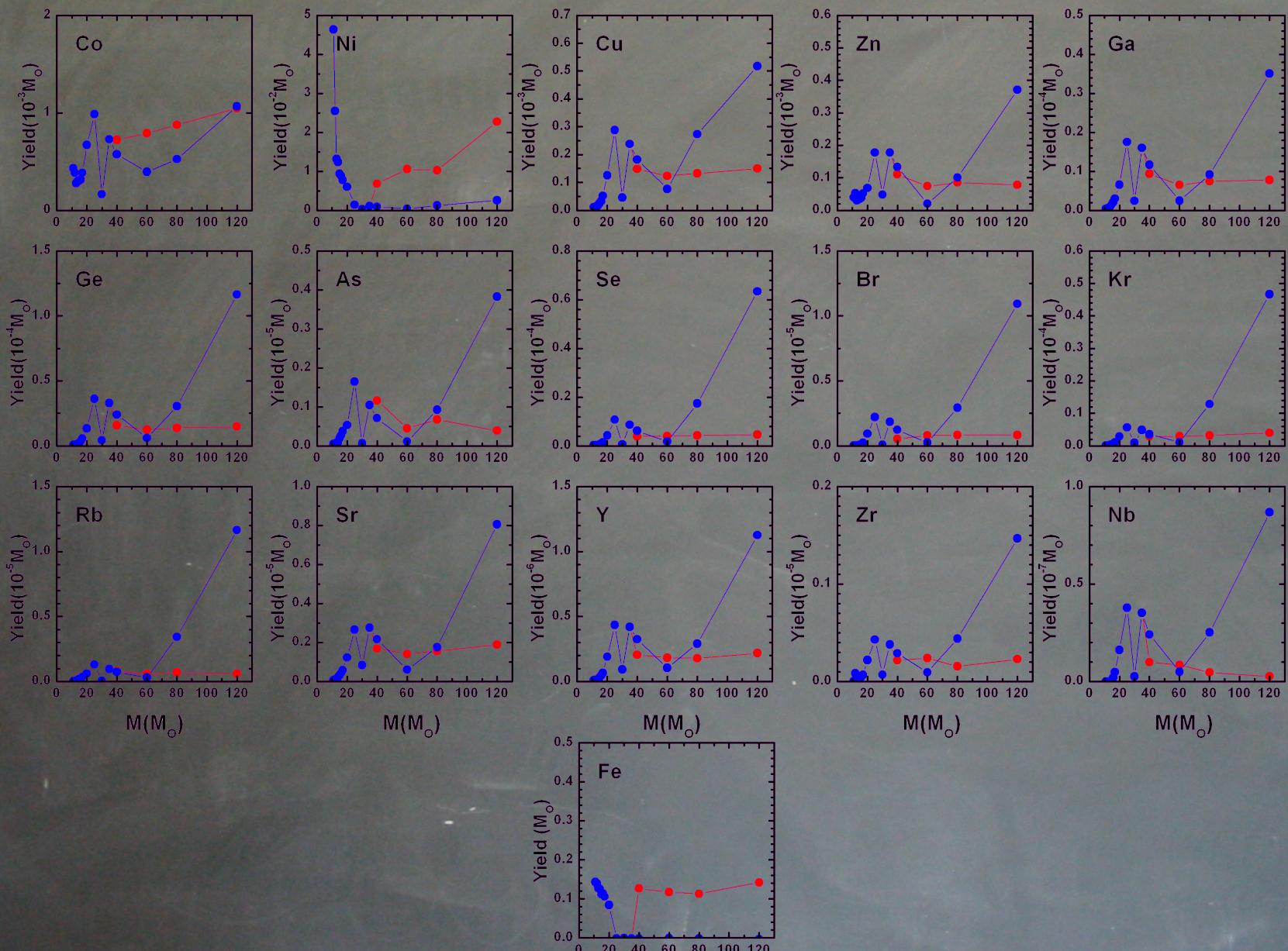


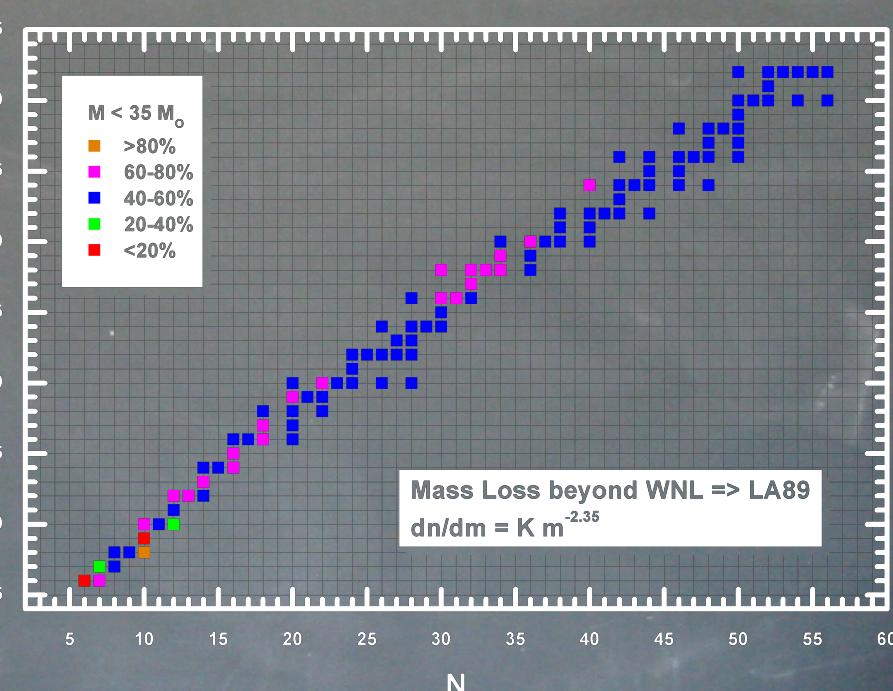
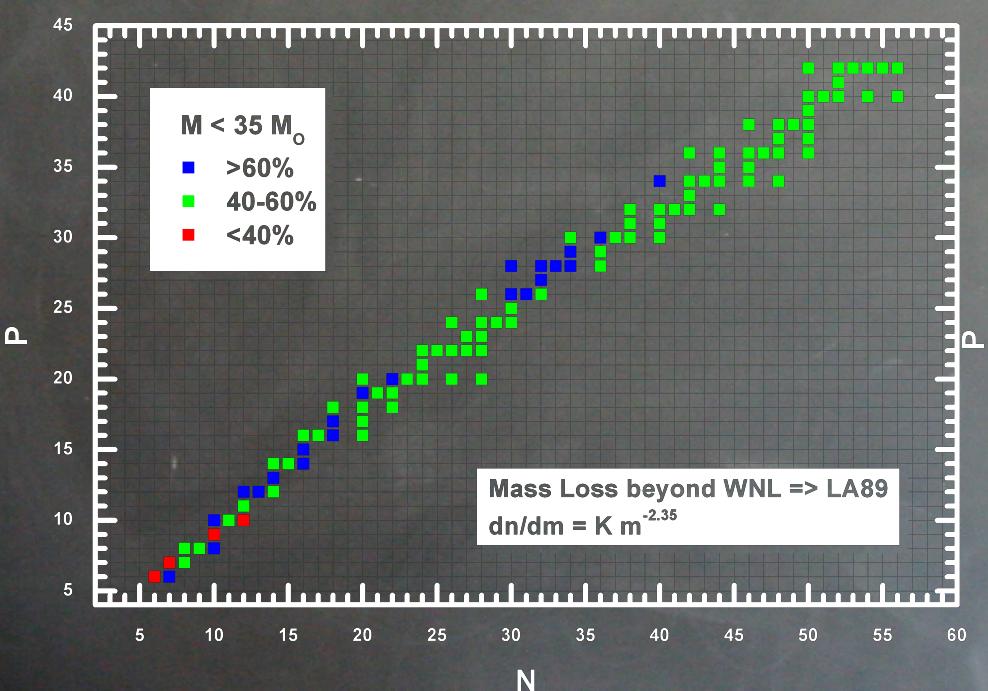
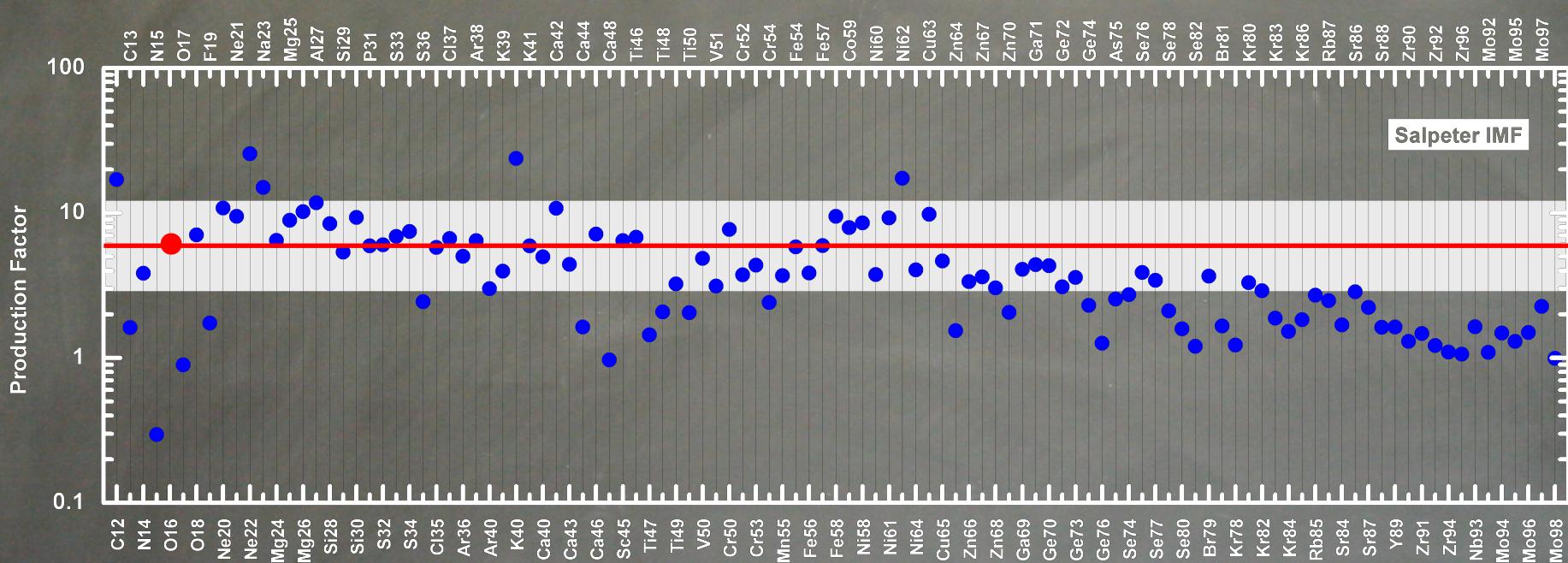


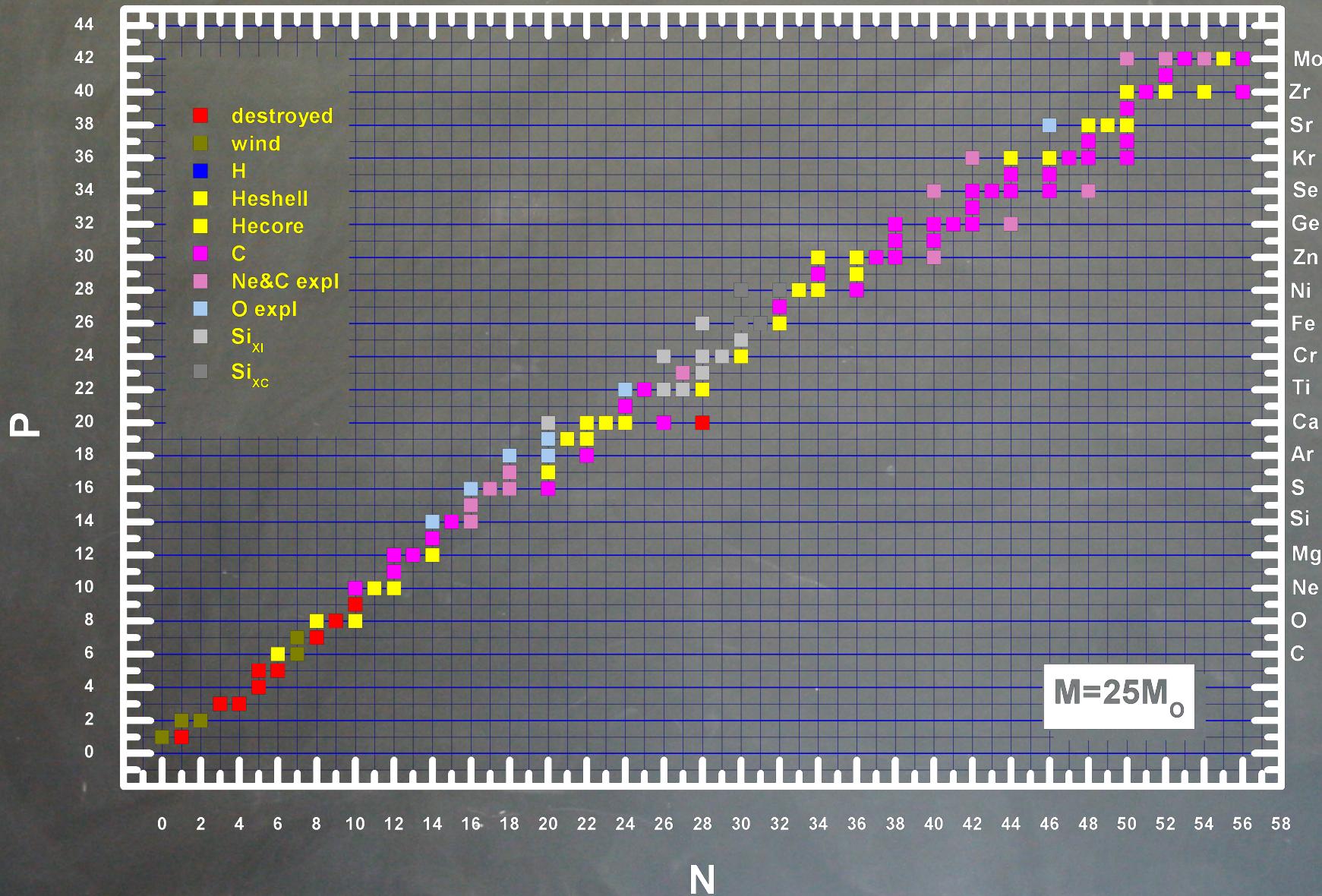
Mass Loss in the WNE / WCO phases: Langer89 - Nugis & Lamers 00



Mass Loss in the WNE / WCO phases: Langer89 - Nugis & Lamers 00







Which is the role of the advanced burning phases in the yield production?

influence the explosive yields

shape the final mass – radius relation

model the final Ye profile

determine the size of the “Fe” core

**Through the extension of
the Si convective shell**

**Determine the final abundances of the nuclei produced by the quiescent
C burning: i.e. Ne, Na, Mg, Al + weak S process nucleosynthesis**

FRANEC 6.0

Major improvements compared to the release 4.0 (Limongi & Chieffi 2003, Chieffi & Limongi 2004) and 5.0 (Limongi & Chieffi 2006)

- **FULL COUPLING** of: Physical Structure - Nuclear Burning -
 - + Chemical Mixing (convection, semiconvection, rotation)
- **INCLUSION OF ROTATION:** Transport of Angular Momentum (Advection/Diffusion)
- **MASS LOSS** (Enhanced mass loss for RSG phase, Van Loon 2005)
- **TWO NUCLEAR NETWORKS:**
 - 163 isotopes (448 reactions) H/He Burning
 - 282 isotopes (2928 reactions) Advanced Burning
- **SOLAR COMPOSITION** (Asplund et al. 2009)

FRANEC 6: current release 6.100503

$$\frac{dP}{dM_\Psi} = -\frac{GM_\Psi}{4\pi r_\Psi^4} \cdot f_P$$

$$\frac{dM}{dr_\Psi} = 4\pi r_\Psi^2 \rho$$

$$\frac{d \ln T_\Psi}{d \ln P_\Psi} = \frac{3\kappa_\Psi L_\Psi P_\Psi}{16\pi acG T_\Psi^4 M_\Psi} \cdot \frac{f_T}{f_p}$$

$$dL = \epsilon_\Psi \Delta M$$

$$\rho \frac{d}{dt} (r^2 \omega)_{M_r} = 0$$

$$\frac{d Y_i}{d t} = \left(\frac{\partial Y_i}{\partial t_{nuc}} \right) + \frac{\partial}{\partial m} \left[(4\pi \rho r^2)^2 (D_{semi} + D_{mix} + D_{rot}) \frac{\partial x_i}{\partial m} \right] \quad i=1\dots N$$

1 system of $M_{meshes} \cdot (N_{isotopes} + 5)$ ODEs

$$\rho \frac{d}{dt} (r^2 \omega)_{M_r} = \frac{1}{5} \frac{1}{r^2} \frac{\partial}{\partial r} (\rho r^4 \omega U) + \frac{1}{r^2} \frac{\partial}{\partial r} \left(\rho r^4 D_{shear} \frac{\partial \omega}{\partial r} \right)$$

U(Maeder & Zahn 1998)

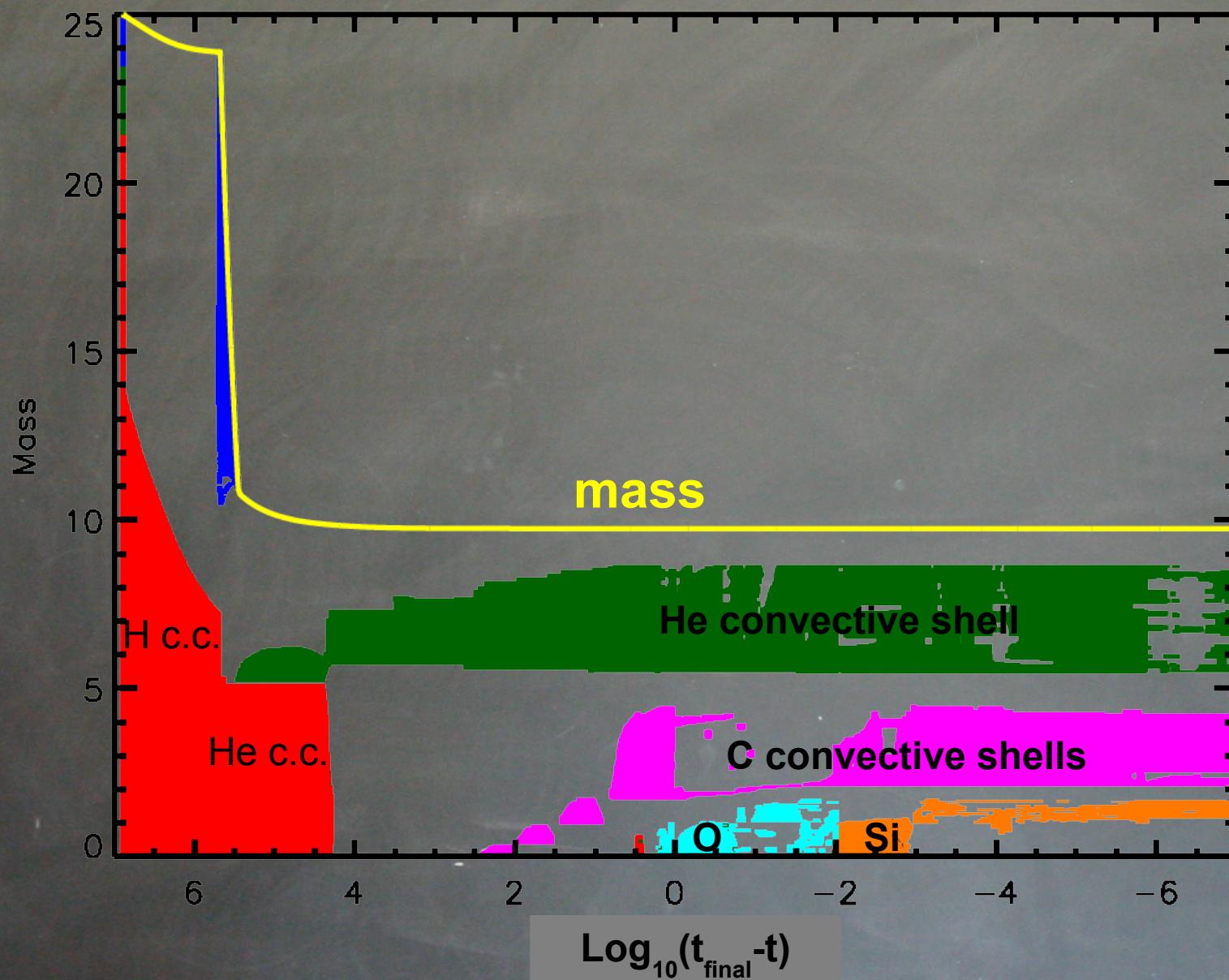
← 4 ODEs

or

$$\rho \frac{d}{dt} (r^2 \omega)_{M_r} = \frac{1}{r^2} \frac{\partial}{\partial r} \left[\rho r^4 (D_{shear} + \frac{1}{30} r |U|) \frac{\partial \omega}{\partial r} \right]$$

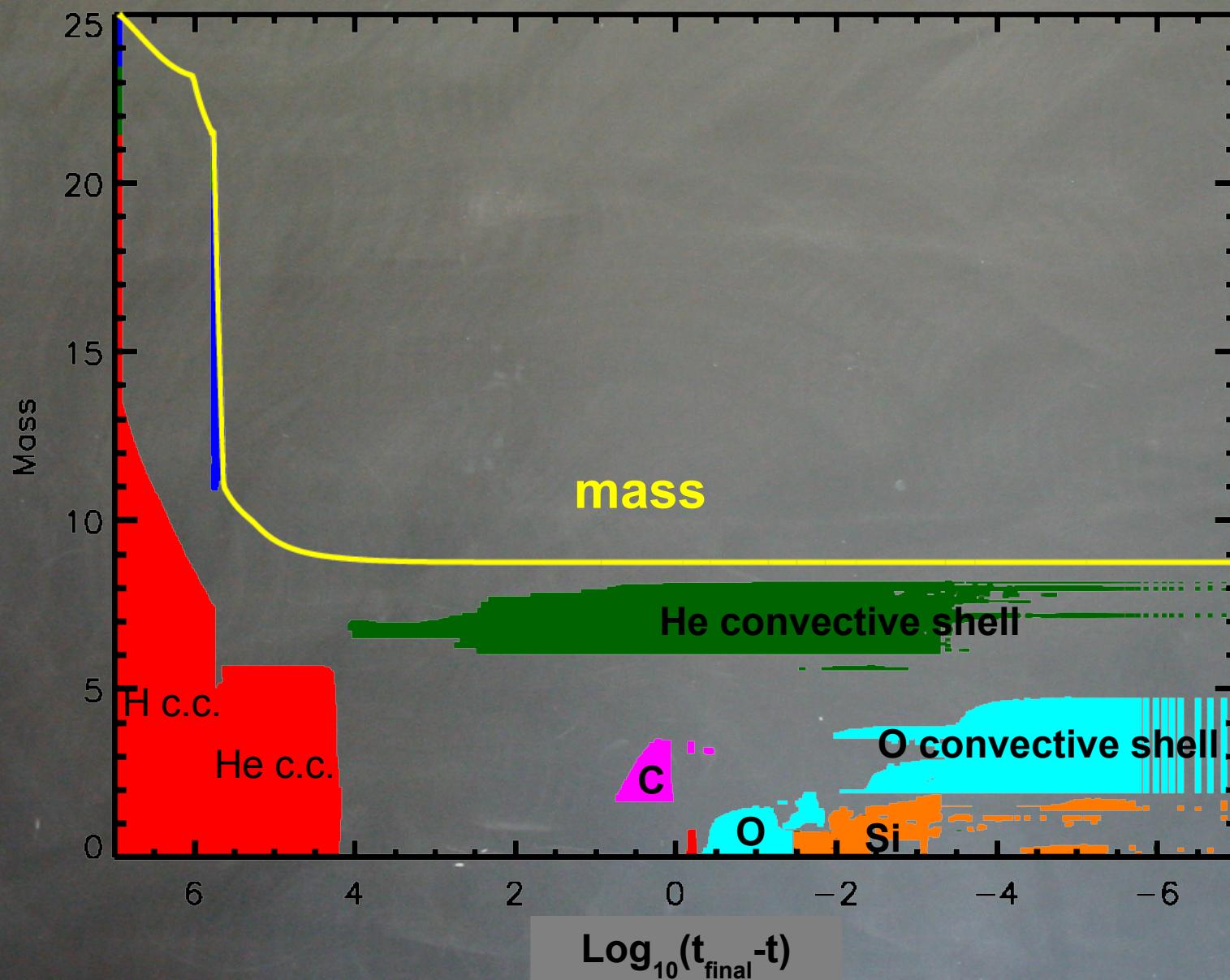
U(Kippenhahn & Weigert 1990)

$25 M_{\odot}$ - $Z=Z_{\odot}$

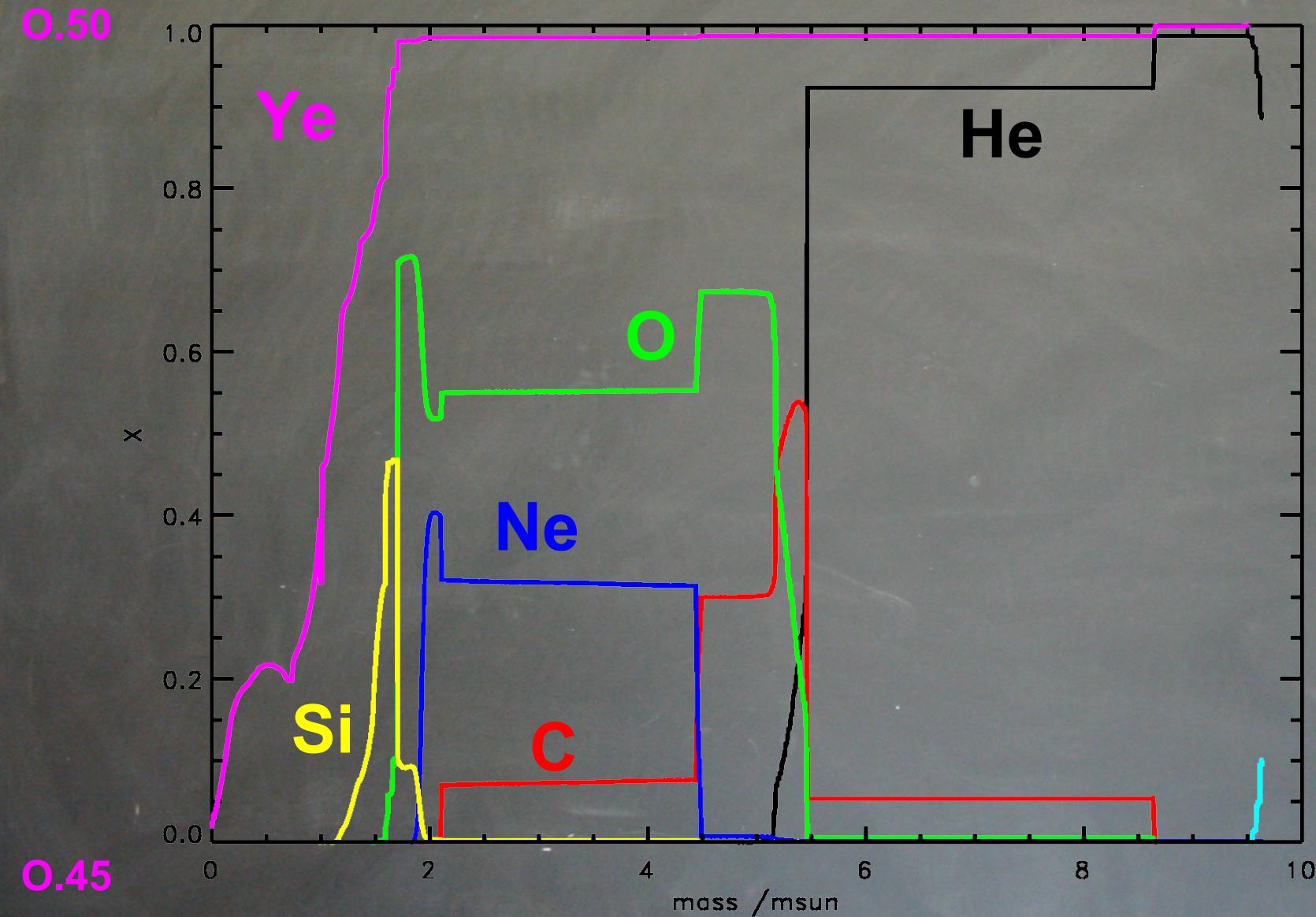


Initial equatorial velocity 300 Km/s

$25 M_{\odot}$ - $Z=Z_{\odot}$



$25 M_{\odot}$ - $Z = Z_{\odot}$



$25 M_{\odot}$ - $Z=Z_{\odot}$

